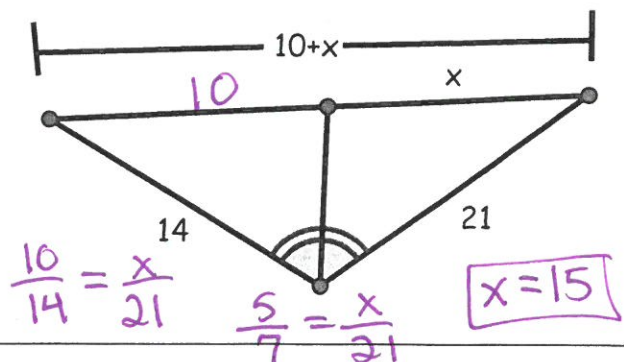
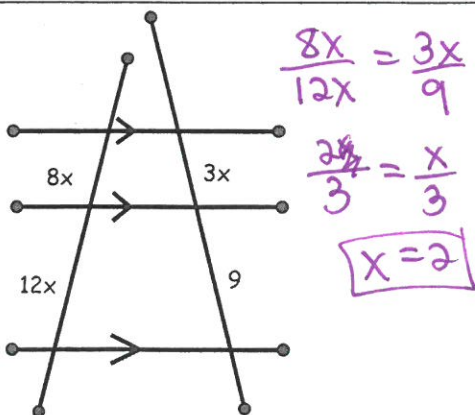
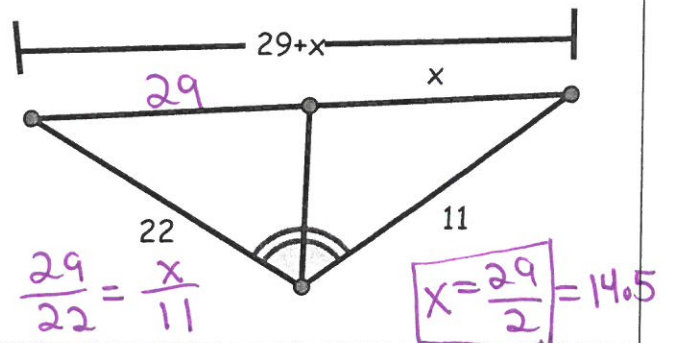
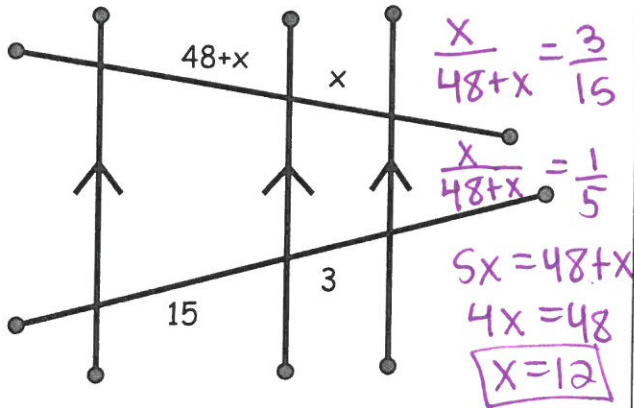
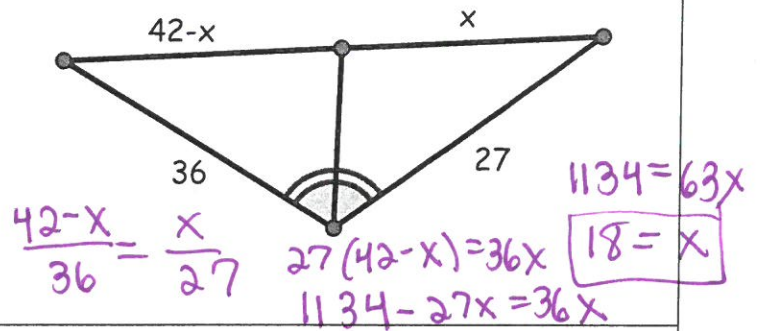
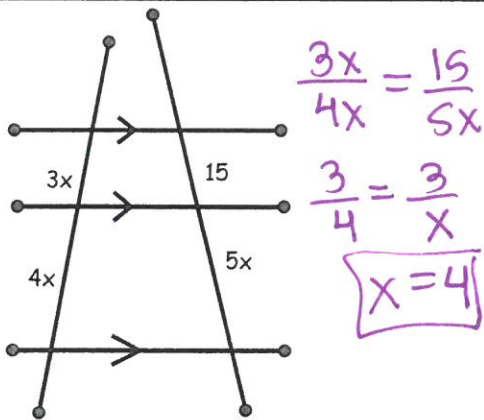
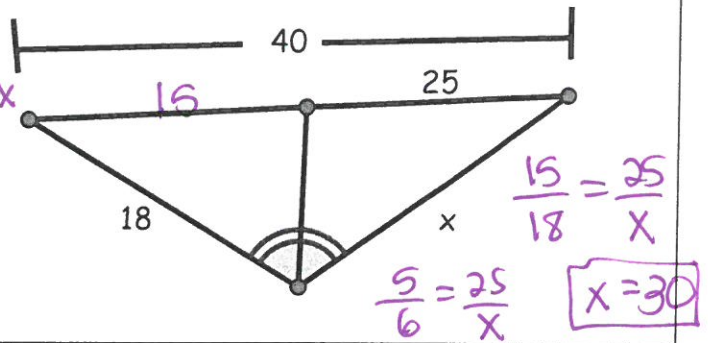
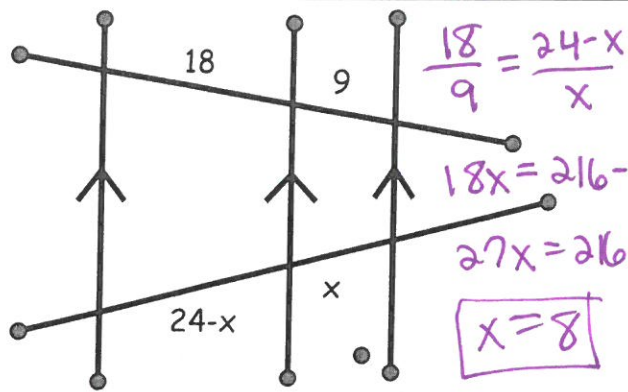
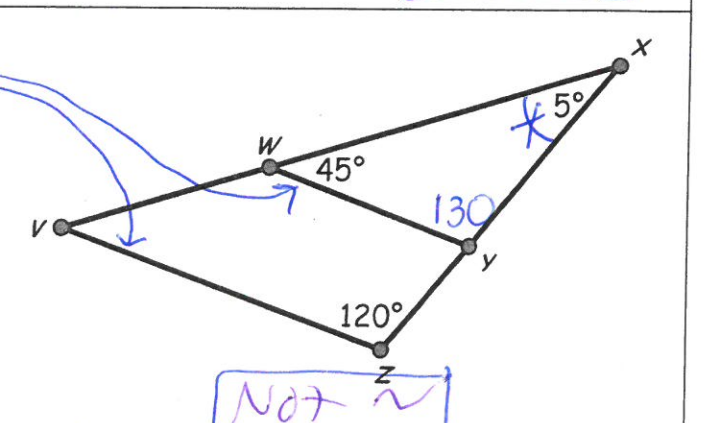
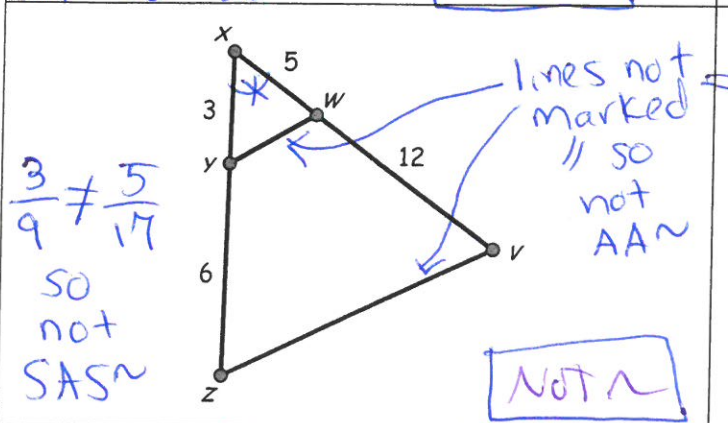
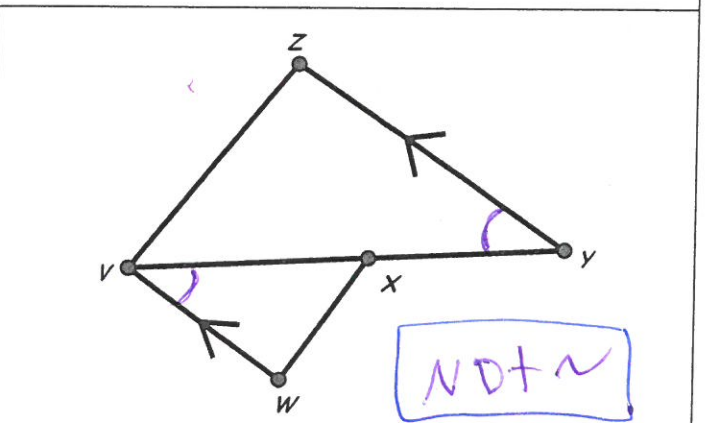
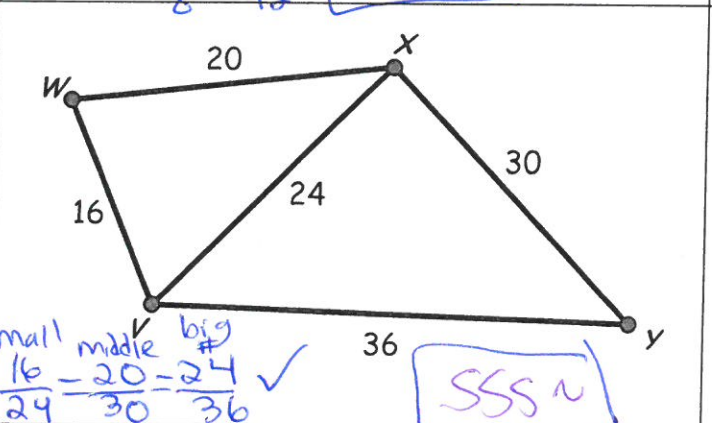
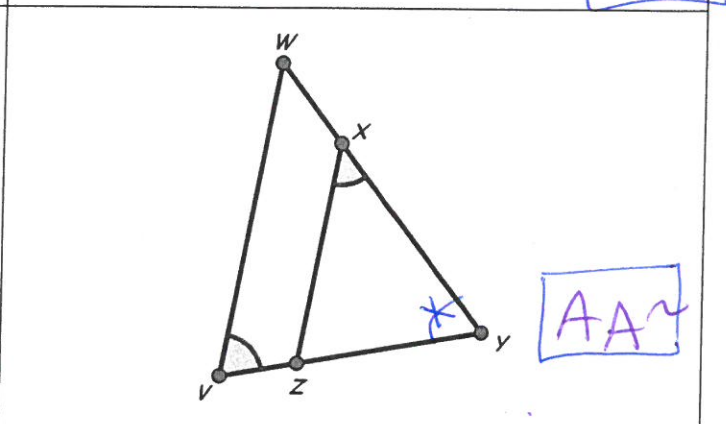
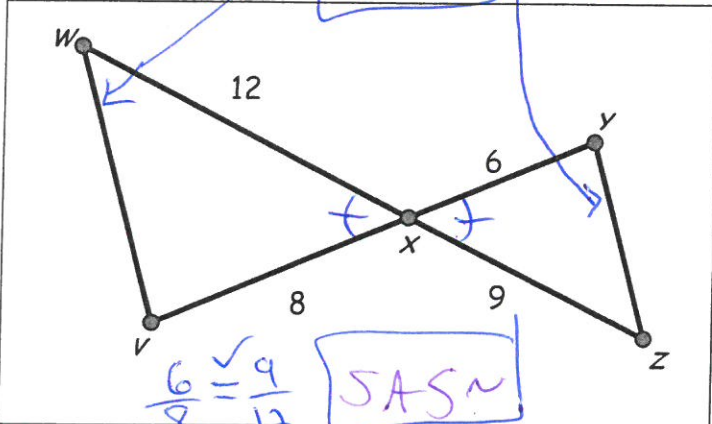
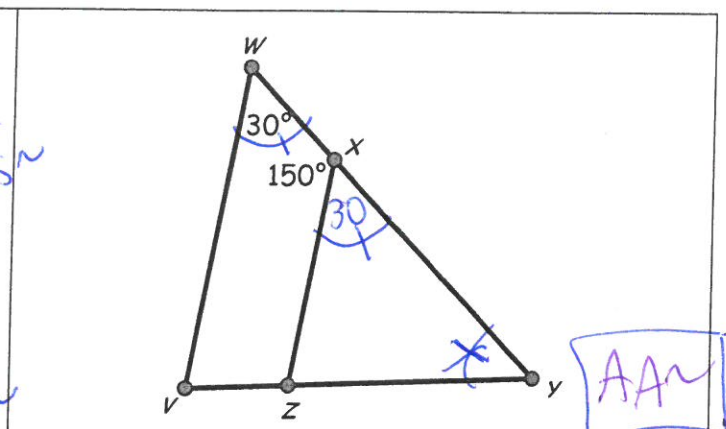
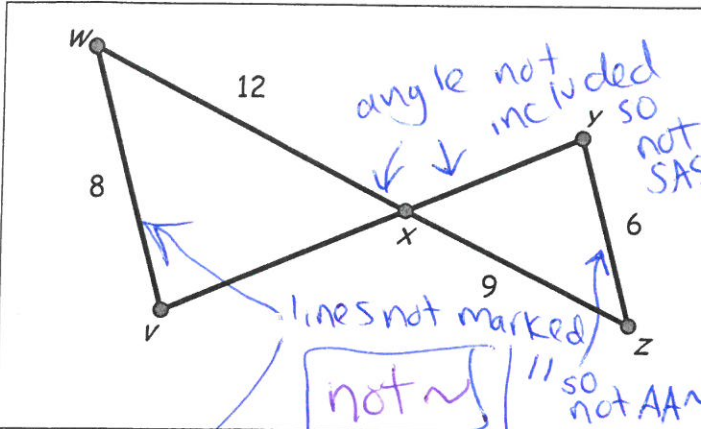


Station 1 Problems: Copy Problems & Solutions Front to Back



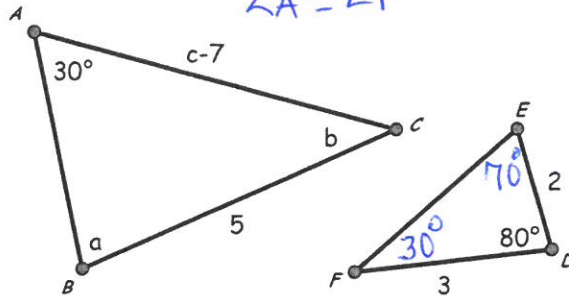
Station 2 Problems: Copy Problems & Solutions Front to Back



Station 3 Problems: Copy NOTHING on back

$$\triangle ABC \sim \triangle FED$$

$$\angle A \cong \angle F$$



$$\begin{cases} a = 70^\circ \\ b = 80^\circ \end{cases}$$

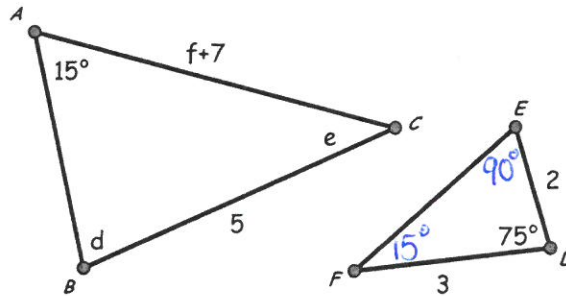
$$\frac{5}{2} = \frac{c-7}{3}$$

$$15 = 2c - 14$$

$$29 = 2c$$

$$c = 14.5$$

$$\triangle ABC \sim \triangle FED$$



$$d = 90^\circ$$

$$e = 75^\circ$$

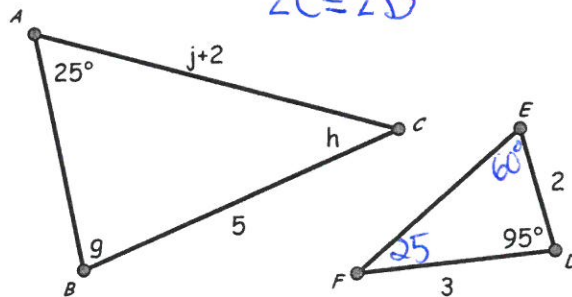
$$\frac{5}{2} = \frac{f+7}{3}$$

$$15 = 2f + 14$$

$$f = \frac{1}{2}$$

$$\triangle ABC \sim \triangle FED$$

$$\angle C \cong \angle D$$



$$g = 60^\circ$$

$$h = 95^\circ$$

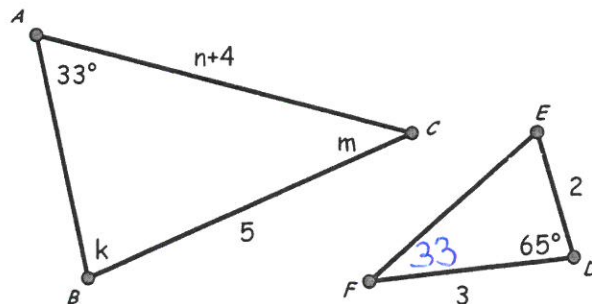
$$\frac{j+2}{3} = \frac{5}{2}$$

$$2j+4 = 15$$

$$2j = 11$$

$$j = \frac{11}{2}$$

$$\triangle ABC \sim \triangle FED$$



$$k = 82^\circ$$

$$m = 65^\circ$$

$$\frac{n+4}{3} = \frac{5}{2}$$

$$2n+8 = 15$$

$$2n = 7$$

$$n = \frac{7}{2}$$

Station 4 Problems:

Find the length of ML.

$$2(2x-11) = 2x-2$$

$$4x-22 = 2x-2$$

$$2x = 20$$

$$x = 10$$

ML = 9

Find the value of x.

① Equilateral (isosceles but \cong) base $\angle S = 60$

② midsegment so \parallel side is $2(5) = 10$

③ **X = 10**

Find $m\angle GCD$.

Ext \angle = sum of two remote \angle s

$$8x+11 = 25 + -6+7x$$

$$8x+11 = 19+7x$$

$$x = 8$$

$m\angle GCD = 75$

Find $m\angle ABC$ Ext \angle = sum of two remote int \angle s

$$2x^2+3x-2 = x^2+1 + 4x+3$$

$$x^2-x-5 = 0$$

$$(x-3)(x+2) = 0$$

X = 3

$m\angle ABC = 15$

Find the measure of the largest angle.

$$48 + 20x - 8 = 180$$

$$20x = 140$$

$$x = 7$$

72° = largest \angle

Find the value.

① $180 - 30 - 70$ ② $180 - 80 - 53$

③ $180 - 85 - 47$

48°

Find x, y and $m\angle AEC$.

$$4x = x + y$$

$$3x + 2y = 180$$

$$3x - y = 0$$

$$3x + 2y = 180$$

$$3x + y = 0$$

$$3y = 180$$

y = 60

Find the value of z.

① midsegment so \parallel to 3rd side

② corresponding \angle are \cong if lines \parallel so 42°

③ midsegment so \parallel to 3rd side

④ 65° is corresp. \angle

Z = 65

$m\angle AEC = 2(20) + 60$

$m\angle AEC = 100^\circ$

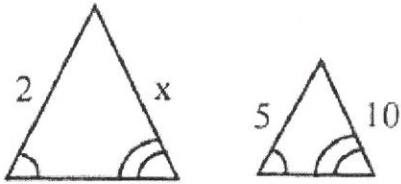
$4x = x + 60$

$3x = 60$

X = 20

Station 5 Problems:

a) What postulate or theorem proves the triangles are ^{similar} congruent?



$AA \sim$

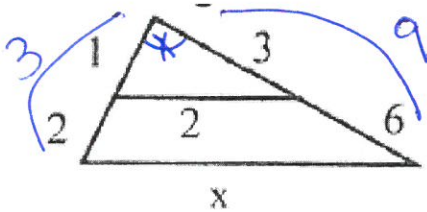
b) Find x.

$x = 4$

$$\frac{2}{5} = \frac{x}{10}$$

$$5x = 20$$

a) What postulate or theorem proves the triangles are ^{similar} congruent?



$SAS \sim$

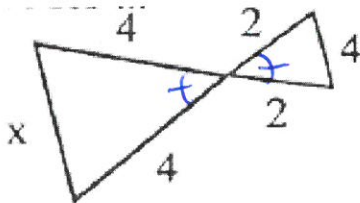
b) Find x.

$x = 6$

$$\frac{1}{2} = \frac{3}{6}$$

and included angle ("sandwiched" angle)

a) What postulate or theorem proves the triangles are ^{similar} congruent?



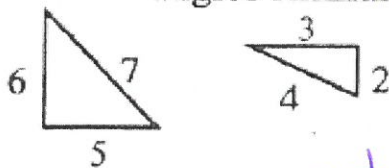
$SAS \sim$

b) Find x.

$x = 8$

$$\left(\frac{2}{4} = \frac{2}{4} \text{ and included angle between them} \right)$$

What postulate or theorem proves the triangles are ^{similar} congruent?



$none$

not SSS \sim because $\frac{2}{5} \neq \frac{3}{6} \neq \frac{4}{7}$

Station 6 Problems:

Find x. Also, determine what kind of angles are shown in the diagram.		
	(C) Corresponding angles	(K) Same side interior angles
	(A) Linear pair angles	(E) Alternate interior angles
Find x. Also, determine what kind of angles are shown in the diagram.		
	(D) Corresponding angles	(A) Same side interior angles
	(E) Linear pair angles	(L) Alternate interior angles
Find x. Also, determine what kind of angles are shown in the diagram.		
	(C) Corresponding angles	(K) Same side interior angles
	(A) Linear pair angles	(E) Alternate interior angles
Find x. Also, determine what kind of angles are shown in the diagram.		
	(D) Corresponding angles	(A) Same side interior angles
	(E) Linear pair angles	(L) Alternate interior angles