

# Unit 4b Day 8

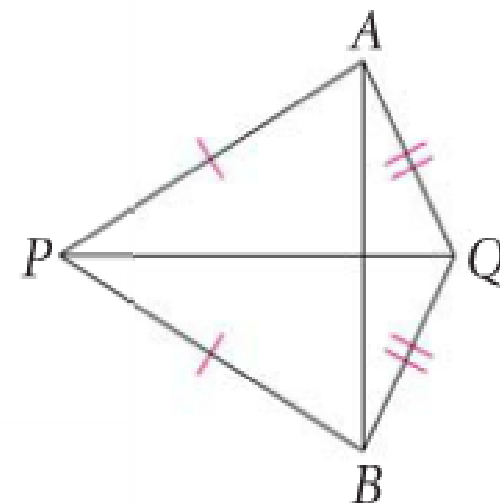
## Congruent Triangle Review

# Warm Up Day 8 Review Day

43. In an isosceles triangle, the measure of the vertex angle is  $4x$ . The measure of each base angle is  $2x + 10$ . What is the measure of the vertex angle?

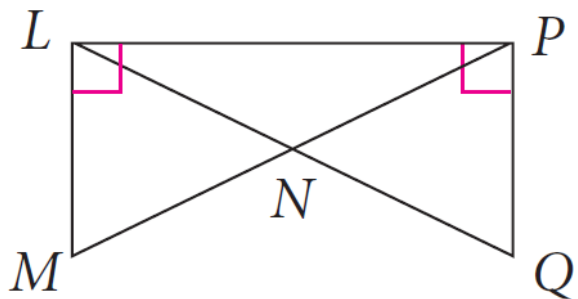
- A. 10                      B. 20                      C. 50                      D. 80

44. In the figure at the right,  $m\angle APB = 60$ .  
 a. What is  $m\angle PAB$ ? Explain.  
 b.  $\angle PAB$  and  $\angle QAB$  are complementary. What is  $m\angle AQB$ ? Show your work.



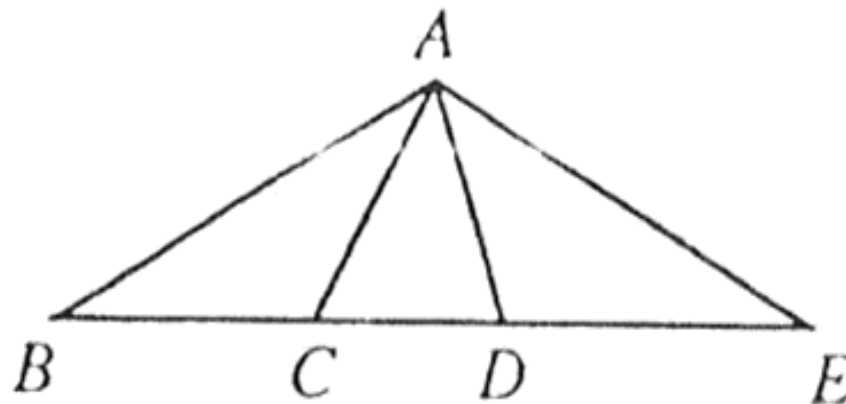
45. Name a pair of overlapping congruent triangles, and which postulate or theorem makes them congruent.

**Given:**  $\overline{MP} \cong \overline{QL}$ ,  $\overline{LP} \perp \overline{LM}$ ,  
 $\overline{LP} \perp \overline{PQ}$



46. Given:  $\overline{AC} \cong \overline{AD}$ ,  $\overline{BC} \cong \overline{DE}$ ,  
 and  $\overline{BD} \cong \overline{EC}$

Prove:  $\triangle ABC \cong \triangle AED$

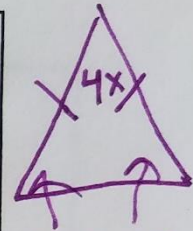


# Warm Up ANSWERS Review Day 8

## Warm Up Day 8 Review Day

43. In an isosceles triangle, the measure of the vertex angle is  $4x$ . The measure of each base angle is  $2x + 10$ . What is the measure of the vertex angle?

- A. 10      B. 20      C. 50      D. 80



$$2(2x+10) + 4x = 180$$

$$8x + 20 = 180$$

$$8x = 160$$

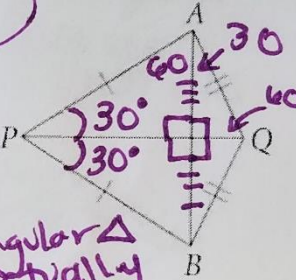
$$x = 20$$

vertex  $\angle = 4(20)$   
 $\angle = 80$

44. In the figure at the right,  $m\angle APB = 60^\circ$ .

- a. What is  $m\angle PAB$ ? Explain.  
b.  $\angle PAB$  and  $\angle QAB$  are complementary. What is  $m\angle AQB$ ? Show your work.

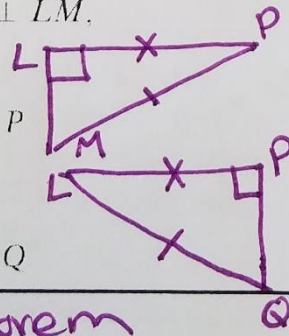
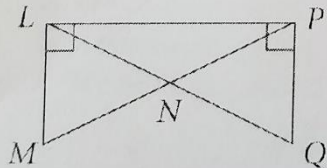
$\Delta APB$  is an isosceles  $\triangle$  so base  $\angle s =$ , but  $60^\circ$  vertex  $\angle$  so equilateral  $\triangle$  actually



$2(60)$   $120^\circ$

45. Name a pair of overlapping congruent triangles, and which postulate or theorem makes them congruent.

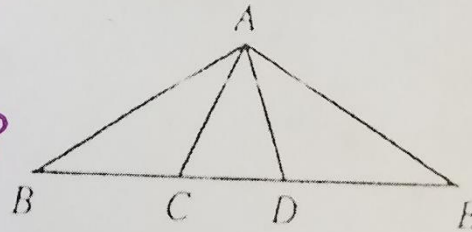
Given:  $\overline{MP} \cong \overline{QL}$ ,  $\overline{LP} \perp \overline{LM}$ ,  
 $\overline{LP} \perp \overline{PQ}$



$\Delta LMP \cong \Delta LPQ$  by HL Theorem

46. Given:  $\overline{AC} \cong \overline{AD}$ ,  $\overline{BC} \cong \overline{DE}$ ,  
and  $\overline{BD} \cong \overline{EC}$

Prove:  $\Delta ABC \cong \Delta AED$



see proof below

$\overline{PQ}$  is a  $\perp$  bisector of  $\overline{AB}$  because  $PA = PB$  (converse of  $\perp$  bis thm)

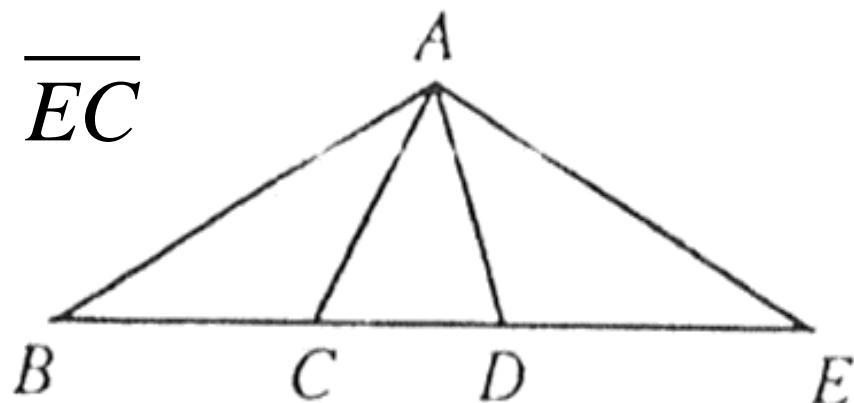
# Warm Up ANSWERS

Day 8

Review Day

Given:  $\overline{AC} \cong \overline{AD}$ ,  $\overline{BC} \cong \overline{DE}$ ,  $\overline{BD} \cong \overline{EC}$

Prove:  $\triangle ABC \cong \triangle AED$



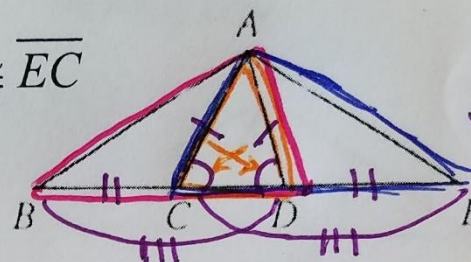
Warm Up ANSWERS

Day 8

Review Day

Given:  $\overline{AC} \cong \overline{AD}$ ,  $\overline{BC} \cong \overline{DE}$ ,  $\overline{BD} \cong \overline{EC}$

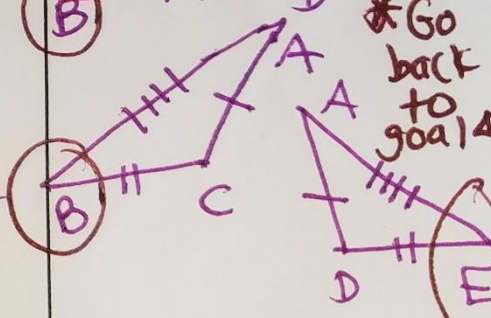
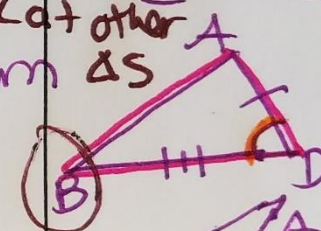
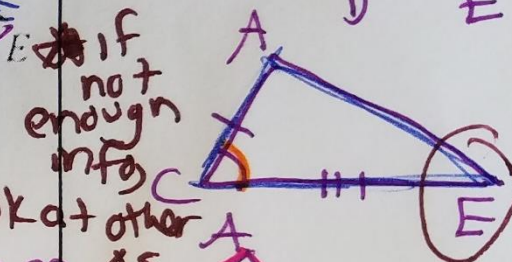
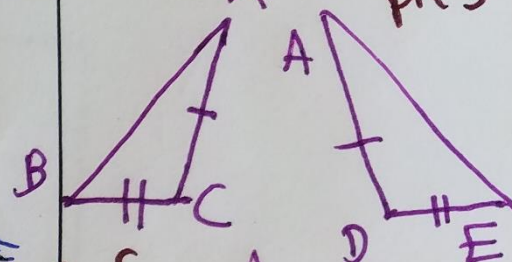
Prove:  $\triangle ABC \cong \triangle AED$



- \*watch out for isosceles!
- 1)  $\overline{AC} \cong \overline{AD}$ ,  $\overline{BC} \cong \overline{DE}$ ,  $\overline{BD} \cong \overline{EC}$
  - 2)  $\angle ACD \cong \angle ADC$
  - 3)  $\triangle ACE \cong \triangle ADB$
  - 4)  $\overline{AB} \cong \overline{AE}$
  - 5)  $\triangle ABC \cong \triangle AED$

- 1) Given
- 2) Isosceles & Theorem  $\triangle S$
- 3) SAS  $\cong$  Postulate
- 4) CPCTC
- 5) SSS  $\cong$  Postulate

\*look at goal  $\triangle S$  + mark pics



\*Go back to goal  $\triangle S$

\*if not enough info  $\Rightarrow$  look at other  $\triangle S$

# HW Discussion

# Tonight's HW

- Review Sheet on Weebly

# Amazing Race Review Activity

- You will work with your assigned group
- Each person must complete problems from the Country sheet on Notebook paper ONLY (NOT on the Country sheet!!), which will be collected
- When you complete a “Country”, check answers with your group, then one group member should bring your answer sheet to the teacher to be checked
- If you’ve successfully “toured” that country, your teacher will tell you the next country on your journey (1<sup>st</sup>, be sure to return the prior country’s sheet to its folder)
- When you successfully complete the Amazing Race, you’ll end back where you began. 😊